

**A CODE FOR VIEWING MAFCO
CONDUCTORS FROM ANY ANGLE**

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June 15, 1973

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Abstract

A code designated MPVER rotates MAFCO conductors so that they can be viewed from any angle. The code makes it easier

to visualize conductors and serves as a check for MAFCO input. The equations describing the rotating process are given.

Introduction

A magnetic field code (MAFCO)¹ handles a variety of conductors in three dimensions. Because of the difficulty of visualizing these conductors, we have written the MPVER program (Appendix) to plot the projection of conductors used by MAFCO.

To design the MPVER program we had to transform the MAFCO input describing the conductor coordinates into a rotated coordinate system. This input consisted of parameters defining loops, arcs, helices, straight lines, and a series of straight line segments. Since helices are seldom used we did not include them in the program.

Figure 1 shows an example of loops and arcs in a primed coordinate system. Loops and arcs are specified by x_0 , y_0 , and z_0 , the coordinates in the unprimed coordinate system at the center of

curvature. Figure 1 also shows the radius A and the Eulerian angles α , β , and ϕ . The angle ϕ ranges from ϕ_1 to ϕ_2 for arcs and from 0° to 360° for circles.

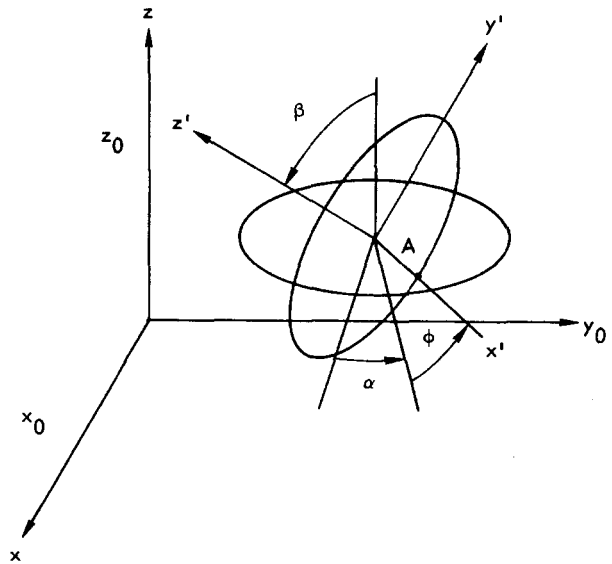


Fig. 1. Coordinate system showing the Eulerian angles.

The Rotation Process

A point on the arc in the prime coordinates is $x' = A$, $y' = 0$, $z' = 0$. In the unprimed coordinates the point is located by the vector \vec{x} .

$$\vec{x} = A^{-1}(\alpha, \beta, \phi) \vec{x}' + \vec{x}_0 \quad (1)$$

$$\vec{x}_0 = \begin{pmatrix} x_0 \\ y_0 \\ z_0 \end{pmatrix}; \vec{x}' = \begin{pmatrix} A \\ 0 \\ 0 \end{pmatrix} \quad (2)$$

In the double primed coordinates (Fig. 2) the point is

$$\vec{x}'' = A^{-1}(\xi, \eta, \nu) \vec{x}, \quad (3)$$

where the transformation matrix A^{-1} is the standard rotation matrix.²

Finally, we want to look at the projection of the point onto the $x'' - y''$ plane.

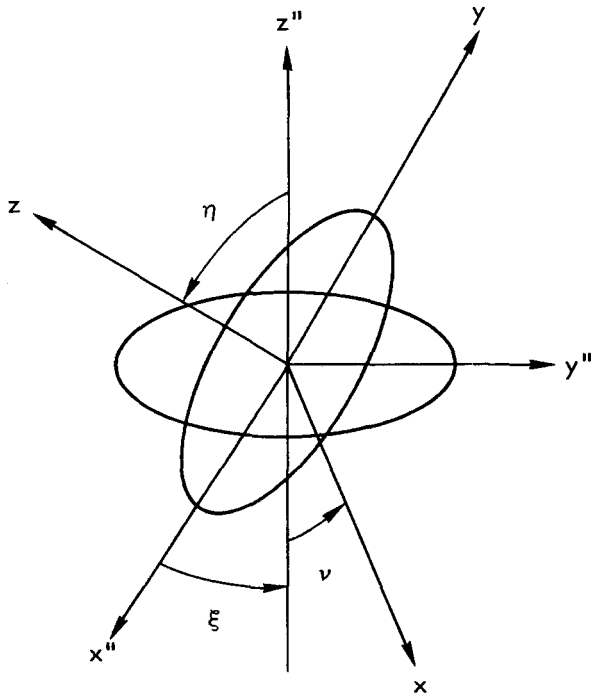


Fig. 2. Coordinate system showing the viewing angles.

For straight lines and straight line segments we specify the end points

$$x_1, y_1, z_1, x_2, y_2, z_2$$

in the unprimed coordinates and use the transformation

$$\vec{x}'' = A^{-1}(\xi, \eta, \nu) \mathbf{x}. \quad (4)$$

The matrix $A^{-1}(\alpha, \beta, \phi)$ is

$$\begin{pmatrix} j & k & l \\ m & n & o \\ p & q & r \end{pmatrix}, \quad (5)$$

where

$$\begin{aligned} j &= \cos\phi \cos\alpha - \cos\beta \sin\alpha \sin\phi \\ k &= \sin\phi \cos\alpha - \cos\beta \sin\alpha \sin\phi \\ l &= \sin\beta \sin\alpha \\ m &= \cos\phi \sin\alpha + \cos\beta \cos\alpha \sin\phi \\ n &= -\sin\phi \sin\alpha + \cos\beta \cos\alpha \cos\phi \\ o &= -\sin\beta \cos\alpha \\ p &= \sin\beta \sin\phi \\ q &= \sin\beta \cos\phi \\ r &= \cos\beta. \end{aligned}$$

The matrix

$$A^{-1}(\xi, \eta, \nu) \text{ is } \begin{pmatrix} a & b & c \\ d & e & f \\ g & h & i \end{pmatrix} \quad (6)$$

where

$$\begin{aligned} a &= \cos\nu \cos\xi - \cos\eta \sin\xi \sin\nu \\ b &= -\sin\nu \cos\xi - \cos\eta \sin\xi \cos\nu \\ c &= \sin\eta \sin\xi \\ d &= \cos\nu \sin\xi + \cos\eta \cos\xi \sin\nu \\ e &= -\sin\nu \sin\xi + \cos\eta \cos\xi \cos\nu \\ f &= -\sin\eta \cos\xi \\ g &= \sin\eta \sin\nu \\ h &= \sin\eta \cos\nu \\ i &= \cos\eta. \end{aligned}$$

For arcs and loops we perform the matrix multiplications indicated by Eqs. 1 through 5.

$$\vec{x} = \begin{pmatrix} j & k & l \\ m & n & o \\ p & q & r \end{pmatrix} \begin{pmatrix} A \\ 0 \\ 0 \end{pmatrix} + \begin{pmatrix} x_0 \\ y_0 \\ z_0 \end{pmatrix} \quad (7)$$

$$\vec{x}' = \begin{pmatrix} a & b & c \\ d & e & f \\ g & h & i \end{pmatrix} \begin{pmatrix} x \\ y \\ z \end{pmatrix}. \quad (8)$$

The x'' and y'' components are plotted as the projection of the conductor

$$\begin{aligned} \vec{x}'' &= a(jA + x_0) + b(mA + y_0) \\ &\quad + c(pA + z_0) \\ y'' &= d(jA + x_0) + e(mA + y_0) \\ &\quad + f(pA + z_0). \end{aligned} \quad (9)$$

For straight lines and straight line segments

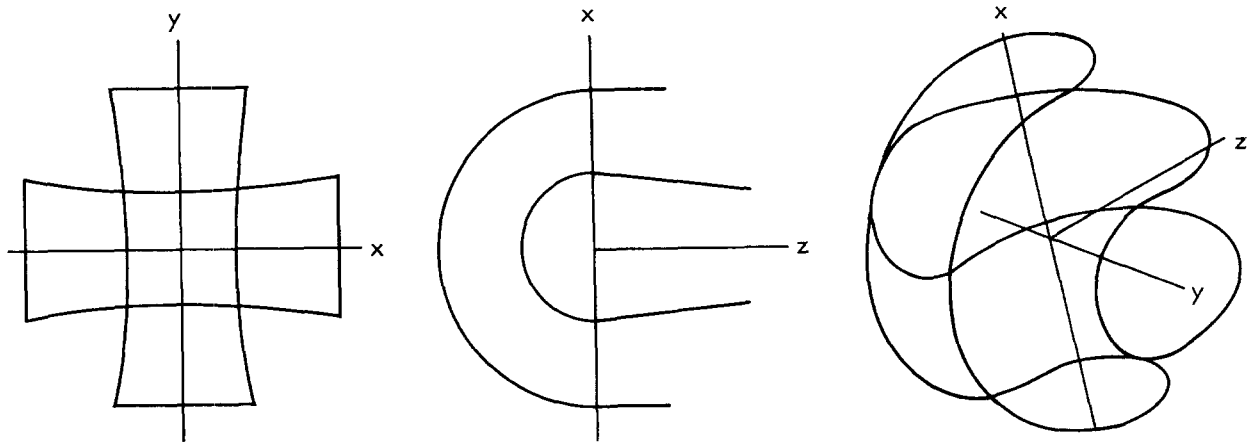
$$x'' = \begin{pmatrix} a & b & c \\ d & e & f \\ g & h & i \end{pmatrix} \begin{pmatrix} x \\ y \\ z \end{pmatrix}, \quad (10)$$

and

$$\begin{aligned} x'' &= ax + by + cz \\ y'' &= dx + ey + fz. \end{aligned} \quad (11)$$

The form of Eq. (13) allows us to plot straight lines and straight line segments by specifying the (x, y, z) values of the end points. To plot loops and arcs we must first break the arc into segments and plot straight lines (cords). The arc is specified by the angle ϕ which we arbitrarily break into equal angular segments of 2° between ϕ_1 and ϕ_2 . The loops are broken into equal segments of 6° . Then we use Eq. (11) to plot these straight line segment approximations to arcs and loops.

The instructions for input data cards are shown in Table 1. To illustrate the use of the code three views of a simple conductor are shown in Fig. 3. The figure is based on input data given in Table 2. Figure 4 shows more complicated conductors used in the design of a direct energy conversion device.



Zeta = 0° , $\epsilon = 0^\circ$, $\eta = 0^\circ$. Zeta = 90° , $\epsilon = 90^\circ$, $\eta = 0^\circ$. Zeta = 120° , $\epsilon = 120^\circ$, $\eta = 30^\circ$.

Fig. 3. Three views of the Yin-Yang coil.

Table 1. Input and output for MPVER (MAFCO plot on Versatec).

INPUT

Card one, format (4i5)

NLOOPP, NARCPL, NLINEP, NGCEPL, where each variable selects the conductors one wants plotted. For example, if NLOOPP = 1 then every loop will be plotted and if NLOOPP = 2, every other loop will be plotted.

Card two, format (i5)

NVIEWS = number of different views

Card three, format (3F10.1)

TZETA (i), TETA (i), TNU (i), i = 1, NVIEWS.

Zeta, eta, and nu determine the orientation of the conductors for each view.

Card four through the last input card are MAFCO data cards.³

For each set of conductors there is a maximum of 200 loops, 500 arcs, 50 helices, 400 straight lines, and 2400 straight line segments.

OUTPUT

The output file (TOX) can be plotted on the Versatec printer/plotter via the following teletype writer message:

DCNTRLR/1 1

TTY responds TYPE DD80 FILE NAME, X OFFSET Y OFFSET, OR L

TOX

TTY responds ALL DONE

If a DD80 plot is desired, copy the file TOX to another ten character file starting with the letters DX, i.e., DXTOXTOXTO. Teletype the following instructions:

Give DXTOXTOXTO 999999 / 1 .2

TTY responds IK

END

Table 2. Sample input.

1	1	1	1						
3									
	0.0	0.0	0.0						
	90.	90.	0.0						
	120.	120.	30.						
1									
0	8	0	3	0	1	10	YIN YANG-5	6.15	LOBE ANGLE
	0.	30.	0.	0.	65.	0.	83.85	-1000000.	
	180.	360.	0.	65.	0.	96.15	1000000.		
	0.	-30.	0.	30.	90.	90.	-1000000.		
	180.	360.	0.	30.	90.	90.	1000000.		
	65.	0.	0.	65.	90.	83.85	-1000000.		
	0.	180.	0.	65.	90.	96.15	1000000.		
	-65.	0.	0.	65.	90.	90.	-1000000.		
	0.	180.	0.	30.	0.	90.	1000000.		
	30.	0.	0.	65.	0.	90.	-1000000.		
	0.	180.	0.	65.	90.	96.15	1000000.		
	-30.	0.	0.	30.	0.	90.	-1000000.		
	0.	180.	0.	30.	0.	90.	1000000.		
	0.	65.	0.	80.	0.0	0.0	0.0		
	180.	360.	0.0	80.0	80.0	0.0	0.0		
	0.	-65.	0.0	0.0	0.0	80.0	0.0		
	180.	360.	0.0	0.0	0.0	0.0	80.0		
	-80.	0.0	0.0	0.0	0.0	0.0	0.0		
	0.0	-40.	0.0	0.0	0.0	0.0	0.0		
	0.0	0.0	0.0	0.0	0.0	0.0	0.0		

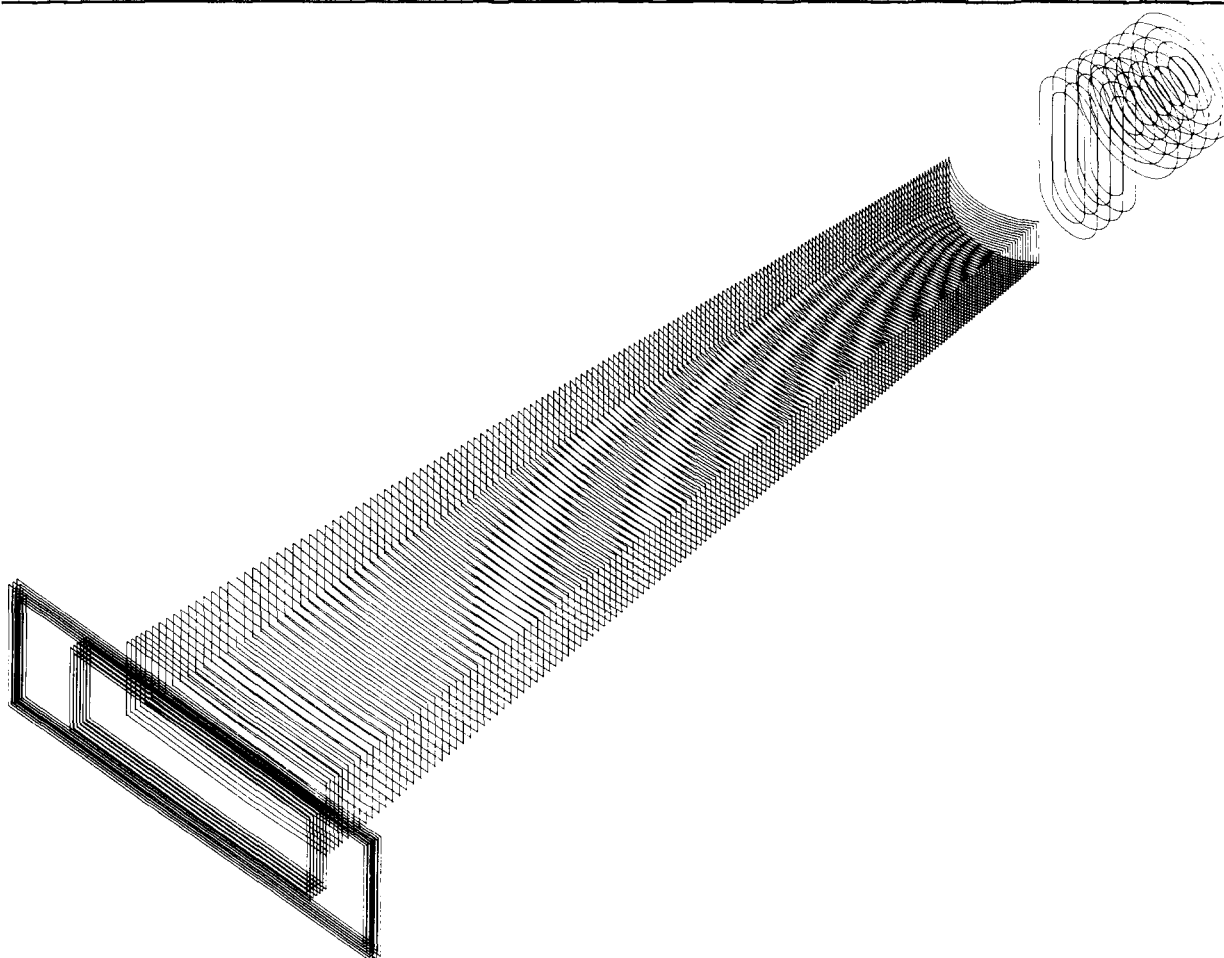


Fig. 4. Conductors for a direct energy conversion device.

References

1. W. A. Perkins and J. C. Brown, J. App. Phys. 35, 3337 (1964).
2. H. Goldstein, Classical Mechanics, (Addison-Wesley Publishing Co., Inc., Reading, Mass., 1959), p. 107.
3. W. A. Perkins and J. C. Brown, MAFCO—A Magnetic Field Code for Handling General Current Elements in Three Dimensions, Lawrence Livermore Laboratory, Rept. UCRL-7744 (1966).

Appendix – MPVER Code

```

1 *ID      164MMN          PLOT          M PLOT          BOXU06
2 *        CCNTROLLEE 361100 MVER
3 *        XEQ MVER
4 *        LIST8
5 *        DUMP ( DEC,OCT)
6 *        FORTRAN
7          PROGRAM M PLOT (HSP,INPUT,OUTPUT)
8          OPTIMIZE
9          CALL KEEP80 (3RTOM)
10         CALL ASSIGN(3,15)
11
12         CLICHE STORAGE
13         PARAMETER(L0=50, DCC=700, VM=5000, TEN=10, CD=400, CO=100,
14         P      MM1VC=2400)
15         COMMON TA, TB, TC, TD, TE, TF, TG, TH, TI, JAY, JAZ
16         COMMON H(L0), THETA(L0), DELTA(L0), AA(L0), XR(L0), Z(L0),
17         C      XM(DCC), YM(DCC), ZM(DCC), AM(DCC), AL(DCC), BE(DCC),
18         C      XP(VM), YP(VM), ZP(VM), TZETA(TEN), TETA(TEN), TNU(TEN)
19         ENDCliche
20         USE STORAGE
21
22         PARAMETER (PI=3.1415927, OUT = 3, IN=2, RAD=.01745329)
23         DIMENSION P1(DCC), P2(DCC), BIG(4), BIGA(3), BIGR(TEN),
24         D      X1(CD), Y1(CD), Z1(CD), X2(CD), Y2(CD), Z2(CD),
25         D      GX(MM1VC), GY(MM1VC), GZ(MM1VC),NGN(CO),GI(CO),
26         D      HA(L0), HD(L0), HP1(L0), HP2(L0), HI(L0), HXY(L0)
27         DATA (DELPHI = 1.0 )
28         DELPHI = DELPHI * RAD
29         N = 0
30 C
31         RIT IN, 885, NLOOPP, NARCPL, NLINEPL, NGCEPL, N VIEWS,
32         R      (TZETA(I), TETA(I), TNU(I), I=1,N VIEWS)
33         RIT IN, 919, NPROBS
34         RIT IN, 919, NLOOP, NARC, NHELIX, NLINE, NGCE
35 C
36         JOUT FORMAT ( 1X, 5HZETA=, F7.1, 3X, 4HETA=, F7.1, 3X, 3HNU=, F7.1 )
37         885 FORMAT (4I5 / I5 / (3F10.1))
38         886 FORMAT ( 3F10.1)
39         887 FORMAT (4F10.1, I5 )
40         888 FORMAT (6F10.1 )
41         889 FORMAT(6F10.1/2F10.1)
42         919 FORMAT (5I5)
43 C
44 C
45 C
46         IF ( NLOOP ) LOOPS, ARCS, LOOPS
47 C
48 C
49 C *** READ IN THE LOOPS ***
50 C
51 C
52 LCOPS CONTINUE
53         RIT IN,888,(XM(I), YM(I), ZM(I), AM(I), AL (I), BE (I),I=1,NLOOP)
54         DO LO I = 1, NLOOP
55         AL(I) = AL(I) * RAD
56 LO BE(I) = BE(I) * RAD
57 C
58         N = N + 1
59         IFIRST = 1
60         LAST = NLOOP

```

```

61      JAY = LAST
62      JAZ = JAY + NLOOP
63      CALL BIGGE(IFIRST, LAST, BIG, N)
64 C
65 C
66 ARCS  IF ( NARC ) ARK, HELIX, ARK
67 C
68 C      *****
69 C      READ IN THE ARCS
70 C      *****
71 C
72 ARK   JZ = NLOOP + 1
73       KZ = NLOOP + NARC
74       RIT IN,889,(XM(I),YM(I),ZM(I),AM(I),AL(I),BE(I),P1(I),P2(I),I=JZ,
75       1 KZ )
76 C
77       JL = 0
78       DO AR KP = JZ, KZ
79       AL(KP) = AL(KP) * RAD
80       BE(KP) = BE(KP) * RAD
81       P1(KP) = P1(KP) * RAD
82       P2(KP) = P2(KP) * RAD
83       JL = JL + 1
84       PHIW = P1(KP)
85       TA = 1.0
86       TB = 0.0
87       TC = 0.0
88       TD = 0.0
89       TE = 1.0
90       TF = 0.0
91       TG = 0.0
92       TH = 0.0
93       TI = 1.0
94       CALL ROTATE ( PHIW, KP, JL )
95       JL = JL + 1
96       PHIW = P2(KP)
97 AR    CALL ROTATE ( PHIW, KP, JL )
98       DO ARR JG = 1, JL
99       XP(JG) = ABSF(XP(JG))
100      YP(JG) = ABSF(YP(JG))
101 ARR  ZP(JG) = ABSF(ZP(JG))
102      BIGA(1) = AMAXAF(XP,1,JL,1,M)
103      BIGA(2) = AMAXAF(YP,1,JL,1,M)
104      BIGA(3) = AMAXAF(ZP,1,JL,1,M)
105      N = N + 1
106      BIG(N) = AMAXAF ( BIGA,1,3,1,M )
107 C
108 HELIX IF ( NHELIX ) HELX, LINES, HELX
109 C
110 C *** THE HELICES CARDS ARE MERELY READ IN SO THAT THE MAFCC DATA CARD
111 C *** DECK CAN STAY INTACT. NO HELICES WILL BE PLOTTED.
112 C
113 HELX  CONTINUE
114 C
115 C      *****
116 C *** READ IN THE HELICES ***
117 C      *****
118 C
119      RIT IN,888,(HA(I),HO(I),HP1(I),HP2(I),HI(I),HXY(I),I=1,NHELIX)
120 C

```

```

121 LINES IF ( NLINE ) LINE, LI, LINE
122 C
123 C      *****
124 C ***  READ IN THE STRAIGHT LINES  ***
125 C      *****
126 C
127 LINE  RIT IN, 888, (X1(I), Y1(I), Z1(I), X2(I), Y2(I), Z2(I), I=1,NLINE)
128 C
129      N = N + 1
130      JYY = NLINE
131      JZZ = JYY + NLINE
132      DO LSL J = 1, NLINE
133      JAY = JYY + J
134      JAZ = JZZ + J
135      XP(J) = ABSF ( X2(J) - X1(J) )
136      XP(JAY) = ABSF ( Y2(J) - Y1(J) )
137 LSL   XP(JAZ) = ABSF ( Z2(J) - Z1(J) )
138      BIG(N) = AMAXAF ( XP, 1, NLINE, 1, M )
139 C
140 LI   IF ( NGCE ) GCE, PLOTT, GCE
141 C
142 C      *****
143 C      READ IN THE GENERAL CURRENT ELEMENTS
144 C      *****
145 C
146 GCE  NGX = NGCE
147      LMAX = 0
148      DO LGC LG = 1, NGCE
149      L = LMAX + 1
150      RIT IN, 887, GX(L),GY(L),GZ(L),GI(LG),NGN(LG)
151      LMIN = L + 1
152      LMAX = L + NGN(LG) - 1
153      RIT IN, 886, ( GX(L), GY(L), GZ(L), L = LMIN, LMAX )
154 LGC  CCONTINUE
155 C
156      N = N + 1
157      LMAX = 0
158      DO LGCE J = 1, NGCE
159      L = LMAX + 1
160      LMAX = L + NGN(J) - 1
161      CALL AMINMX ( GX,L,LMAX,1,AMN1,AMX1)
162      CALL AMINMX ( GY,L,LMAX,1,AMN2,AMX2)
163      CALL AMINMX ( GZ,L,LMAX,1,AMN3,AMX3)
164      AX1 = ABSF (AMX1-AMN1 )
165      AX2 = ABSF ( AMX2-AMN2 )
166      AX3 = ABSF ( AMX3-AMN3 )
167      IF ( AX1 .GE. AX2 ) , WEE
168      IF ( AX1 .GE. AX3 ) , GROG
169      XP(J) = AX1
170      GO TO LGCE
171 WEE  IF ( AX2 .GE. AX3 ) , GROG
172      XP(J) = AX2
173      GO TO LGCE
174 GROG XP(J) = AX3
175 LGCE CONTINUE
176      BIG(N) = AMAXAF ( XP,1,NGCE,1,M )
177 C
178 C
179 C      *****
180 C      PREPARE TO DO SOME PLOTTING

```

```

181 C          *****
182 C
183 PLOTT CONTINUE
184 C
185     CALL CRTID ( 2HBN,1,1 )
186     CALL ODERS(0)
187 C
188     BIGGER = AMAXAF ( BIG,1,N,1,M )
189     XMIN = -BIGGER
190     YMIN = XMIN
191     XMAX = BIGGER
192     YMAX = XMAX
193     WOT 3, BI, (BIG(I),I=1,N)
194 BI  FORMAT (4E12.3)
195 C
196     SFX = ( XMAX - XMIN ) / XMX
197     SFY = ( YMAX - YMIN ) / YMX
198     LEGX = XMX - XMN
199     LEGY = YMX - YMN
200 C
201 C
202 C
203 C
204 C
205 C
206     DO TOP K = 1, NIEWS
207 C
208     PRINT JCUT,      TZETA(K), TETA(K), TNU(K)
209 C
210     CALL FRAME
211     CALL SETCRT ( XMIN,YMIN,1 )
212     CALL MAPG ( XMIN,XMAX,YMIN,YMAX )
213 C
214     ZETA = TZETA(K) * RAD
215     ETA = TETA(K) * RAD
216     UNU = TNU(K) * RAD
217     SZE = SIN( ZETA )
218     CZE = COS( ZETA )
219     SET = SIN( ETA )
220     CET = COS( ETA )
221     SNU=SIN( UNU )
222     CNU=COS( UNU )
223     TA=CNU*CZE-CET*SZE*SNU
224     TB=-SNU*CZE-CET*SZE*CNU
225     TC=SET*SZE
226     TD=CNU*SZE+CET*CZE*SNU
227     TE=-SNU*SZE+CET*CZE*CNU
228     TF=-SET*CZE
229     TG=SET*SNU
230     TH=SET*CNU
231     TI=CET
232 C
233     IF ( NLOOP ) PLOTL, PLT, PLOTL
234 C
235 C
236 C
237 C
238 PLOTL CONTINUE
239 C
240     DO PLL JK = 1, NLOOP, NLOOPP

```

```

*****
SET UP FOR THE GRIDS.
*****

```

```

*****
PLOT THE LOOPS.
*****

```

```

241      DO PL JL = 1, 60
242      XJ = JL
243      PHIW = 2.0 * PI * XJ / 59. - 2.0 * PI / 59.
244 C
245 C *** COMPUTE ROTATED X AND Y FOR PLOTTING. CALL THEM XP AND YP.
246 C
247      CALL ROTATE(PHIW, JK, JL)
248 C
249 PL    CONTINUE
250 C
251 PLL  CALL TRACE ( XP,YP,60,1,1 )
252 C
253 PLT  IF ( NARC ) PLOTA, PLINE, PLOTA
254 C
255 C
256 C
257 C
258 C *** DO SOME CALCULATING FOR CALCOMP PLOTTING.
259 C
260 C *** J FOR A GIVEN ARC, CALL IT ARC NUMBER JK, I MUST CALCULATE JL POINTS.
261 C *** ALONG THAT ARC, FROM PHI1 TO PHI2. DELPHI IS THE INCREMENT FOR PHI.
262 C *** THE CARTESIAN PLOINTS ARE XP(JL) AND YP(JL), STORED CONSECUTIVELY
263 C
264 PLOTA CONTINUE
265 C
266      DO PLI J = JZ, KZ, NARCPL+1
267      JK = J
268      JAY = J + 1
269 PLA  JL = 0
270      PHIW = P1(JK)
271 C
272 C *** COMPUTE ROTATED X AND Y FOR PLOTTING. CALL THEM XP AND YP.
273 C
274 PLC  JL = JL + 1
275 C
276      CALL ROTATE(PHIW, JK, JL)
277 C
278      PHIW = PHIW + DELPHI
279      FI = P2(JK) - PHIW
280      IF ( FI ) PLD,PLC,PLC
281 PLD  HDEL = DELPHI * .95
282 C
283      IF (HDEL + FI ) PLF, PLF, PLE
284 PLE  PHIW = P2(JK)
285      GO TO PLC
286 C
287 PLF  CALL TRACE ( XP,YP,JL,1,1 )
288 C
289      IF ( JK-JAY ) PLH,PLI,PLH
290 PLH  JK = JK+1
291      GO TO PLA
292 PLI  CONTINUE
293      WOT 3,100,(XM(I),YM(I),ZM(I),AM(I),XP(I),YP(I),ZP(I),I=1,JL)
294 100  FORMAT (1X,7E15.3)
295      WOT 3,101
296 101  FORMAT(1H1)
297 C
298 PLINE IF ( NLINE ) PLOTS, PGC, PLOTS
299 C
300 C

```

```

*****
PLOT THE ARCS.
*****

```

```

*****
PLOT THE LINES.

```

```

301 C
302 PLOTS CONTINUE
303 DO PLIN I = 1, NLINE, NLINEP+1
304 J=I+1
305 XP(1) = TA * X1(I) + TB * Y1(I) + TC * Z1(I)
306 XP(2) = TA * X2(I) + TB * Y2(I) + TC * Z2(I)
307 YP(1) = TD * X1(I) + TE * Y1(I) + TF * Z1(I)
308 YP(2) = TD * X2(I) + TE * Y2(I) + TF * Z2(I)
309 CALL TRACE ( XP,YP,2,1,1 )
310 XP(1) = TA * X1(J) + TB * Y1(J) + TC * Z1(J)
311 XP(2) = TA * X2(J) + TB * Y2(J) + TC * Z2(J)
312 YP(1) = TD * X1(J) + TE * Y1(J) + TF * Z1(J)
313 YP(2) = TD * X2(J) + TE * Y2(J) + TF * Z2(J)
314 PLIN CALL TRACE ( XP,YP,2,1,1 )
315 C
316 C
317 C
318 C
319 C
320 PGC IF ( NGCE ) PLOTG, TOP, PLOTG
321 C
322 PLOTG KG= 0
323 DO PGB J = 1, NGCE , NGCEPL
324 DO PGA I = 1, NGN(J)
325 KG= KG+ 1
326 XP(I) = TA * GX(KG)+ TB * GY(KG)+ TC * GZ(KG)
327 PGA YP(I) = TD * GX(KG)+ TE * GY(KG)+ TF * GZ(KG)
328 NNG = NGN(J)
329 PGB CALL TRACE ( XP,YP,NNG,1,1 )
330 C
331 TOP CONTINUE
332 C
333 CALL PLCTE
334 C
335 CALL EXIT
336 END
337 SUBROUTINE ROTATE(PHIW,JK,JL)
338 OPTIMIZE
339 USE STORAGE
340 CPHI = COSF ( PHIW )
341 SPHI = SINP ( PHIW )
342 SAL = SINP ( AL(JK) )
343 CAL = COSF ( AL(JK) )
344 SBE = SINP ( BE(JK) )
345 CBE = COSF ( BE(JK) )
346 TJ = CPHI * CAL - CBE * SAL * SPHI
347 TM = CPHI * SAL + CBE * CAL * SPHI
348 TP = SBE * SPHI
349 TS = TA * TJ + TB * TM + TC * TP
350 TV = TD * TJ + TE * TM + TF * TP
351 TY = TG * TJ + TH * TM + TI * TP
352 XP(JL) = TS*AM(JK) + TA*XM(JK) + TB*YM(JK) + TC*ZM(JK)
353 YP(JL) = TV*AM(JK) + TD*XM(JK) + TE*YM(JK) + TF*ZM(JK)
354 ZP(JL) = TY*AM(JK)+TG*XM(JK)+TH*YM(JK)+TI*ZM(JK)
355 RETURN
356 END

```

PLOT THE GENERAL GE,S

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357 *   FORTRAN
358     SUBROUTINE BIGGE(IFIRST, LAST, BIG, N)
359     OPTIMIZE
360     USE STORAGE
361     DIMENSION BIG(4)
362 C
363 C       THIS SUBROUTINE HELPS MAKE SURE THE PICTURE DOES NOT GO OFF SCALE.
364 C
365     JAX = 0
366     DO LASTA J = IFIRST, LAST
367     JAX = JAX + 1
368     JAY = JAY + 1
369     JAZ = JAZ + 1
370     XP(JAX) = ABSF (XM(J) + AM(J) )
371     XP(JAY) = ABSF ( YM(J) + AM(J) )
372 LASTA XP(JAZ) = ABSF(ZM(J)+AM(J))
373     BIG(N) = AMAXAF ( XP,1,JAZ,1,M )
374     WOT 3,10,(XP(K),K=1,JAZ)
375 10   FORMAT (5X,10E11.2)
376     RETURN
377     END

```

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